

ME 111: Engineering Drawing

Lecture 2

01-08-2011

Geometric Constructions

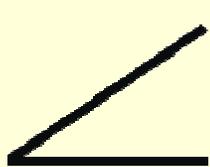
**Indian Institute of Technology Guwahati
Guwahati – 781039**

Geometric Construction

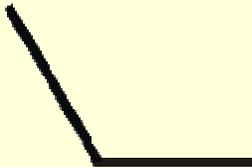
- **Construction of primitive geometric forms (points, lines and planes etc.) that serve as the building blocks for more complicated geometric shapes.**
- **Defining the position of the object in space**

Lines and Planes

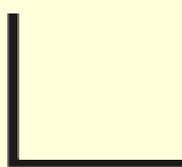
ANGLES



ACUTE

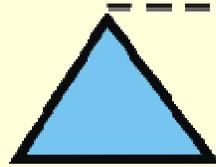


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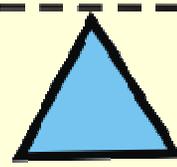


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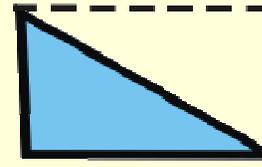
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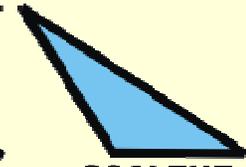
EQUILATERAL
EQUIANGULAR



ISOSCELES

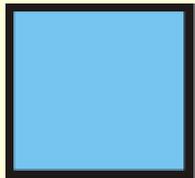


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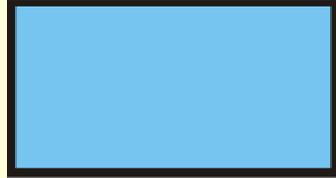


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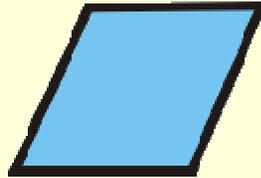
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SQUARE



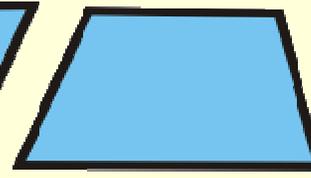
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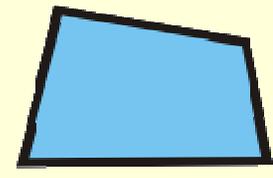
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RHOMBOID



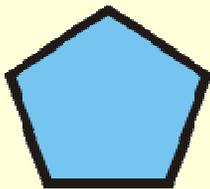
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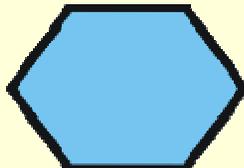
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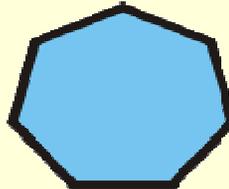
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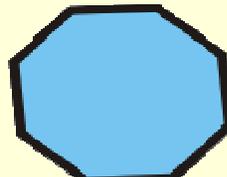
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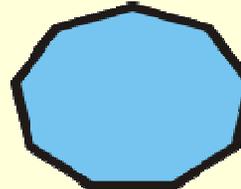
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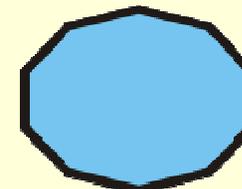
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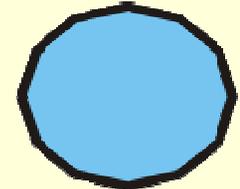
OCTAGON



NONAGON

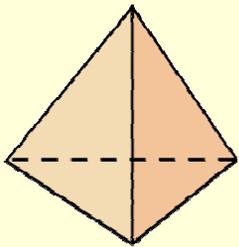


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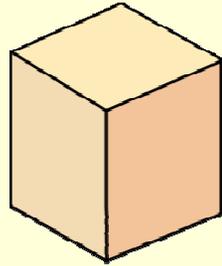


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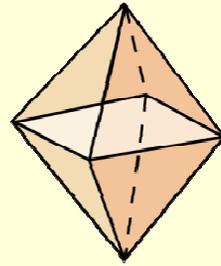
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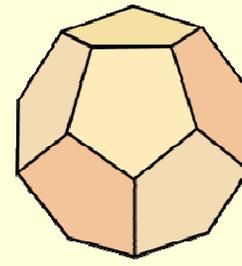
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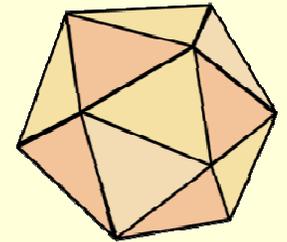
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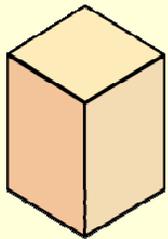
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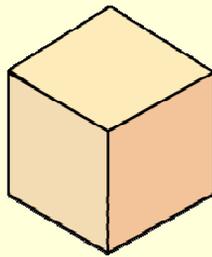
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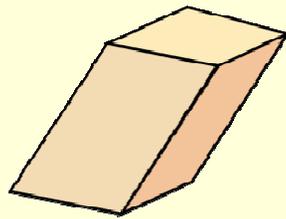
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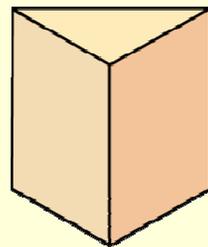
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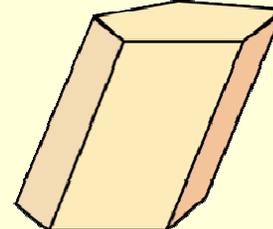
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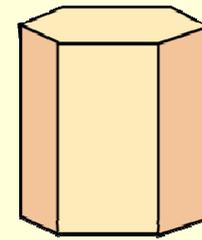
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RECTANGULAR



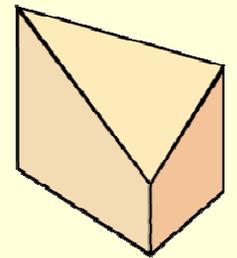
RIGHT
TRIANGULAR



OBLIQUE
PENTAGONAL

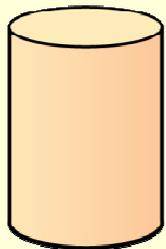


RIGHT
HEXAGONAL

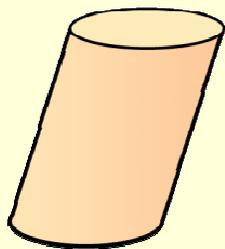


TRUNCATED
TRIANGULAR

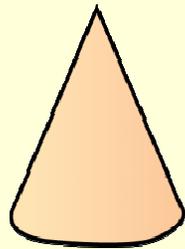
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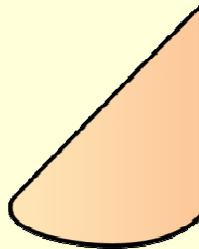
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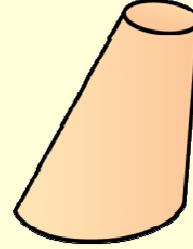
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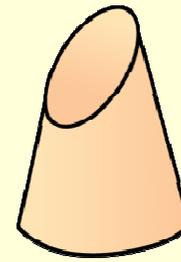
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OBLIQUE

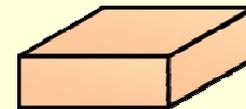


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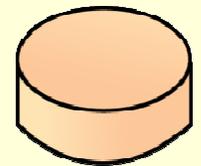


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PLINTHS

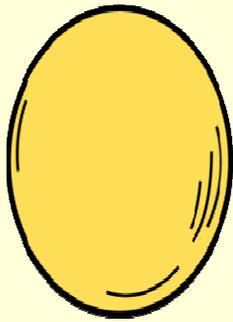


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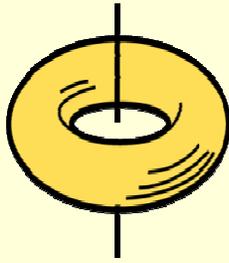


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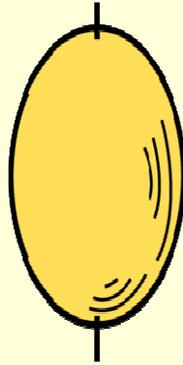
Curved surfaces



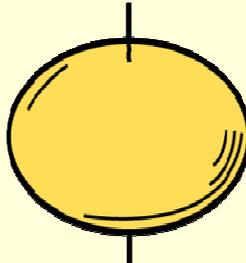
SPHERE



TORUS

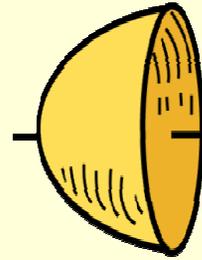


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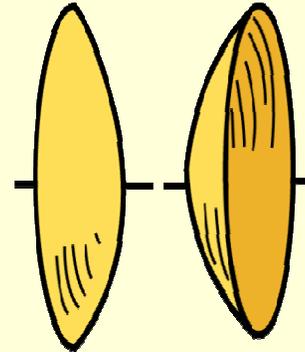


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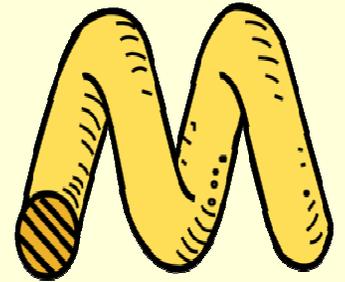
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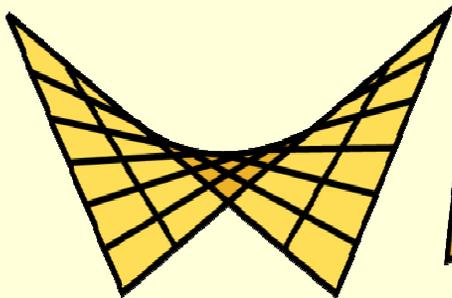
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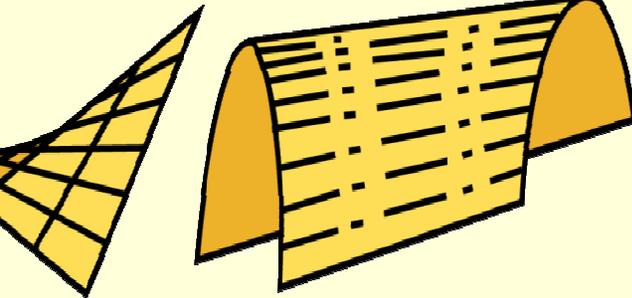
HYPERBOLOID



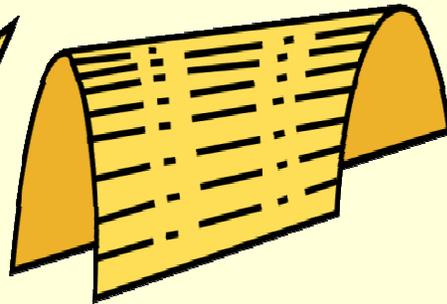
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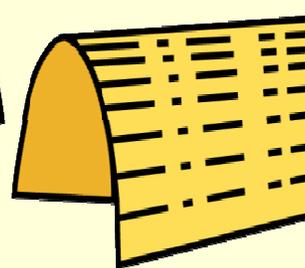
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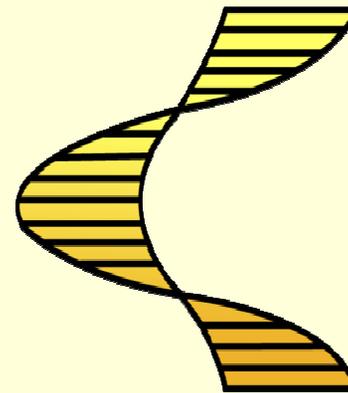
PARABOLOID



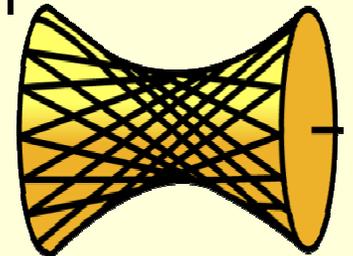
CYLINDROID



CONOID



HELICOID



HYPERBOLOID

Primitive geometric forms

- **Point**
- **Line**
- **Plane**
- **Solid**
- **.....etc**

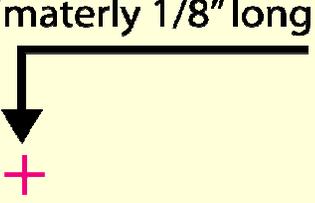
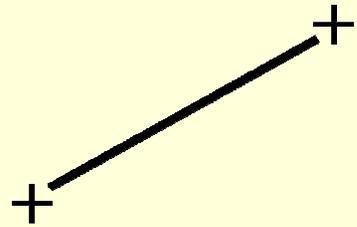
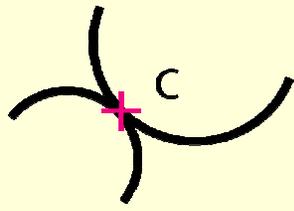
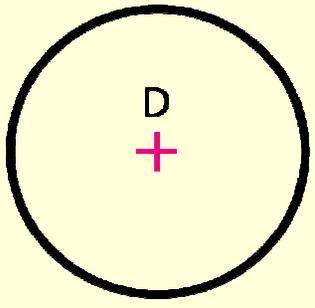
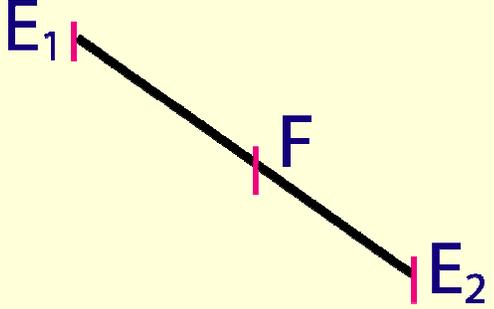
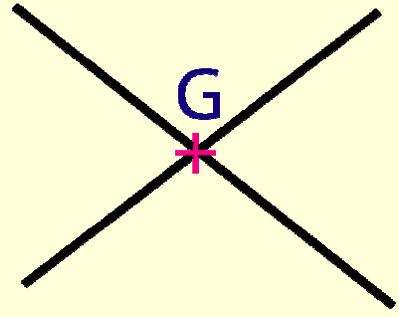
The basic 2-D geometric primitives, from which other more complex geometric forms are derived.

- **Points,**
- **Lines,**
- **Circles, and**
- **Arcs.**

Point

- **A theoretical location that has neither width, height, nor depth.**
- **Describes exact location in space.**
- **A point is represented in technical drawing as a *small cross* made of dashes that are approximately *3 mm long*.**

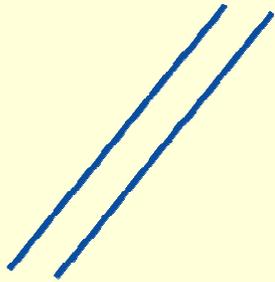
A point is used to mark the locations of centers and loci, the intersection ends, middle of entities.

<p>Approximately 1/8" long</p>  <p>(A) Point</p>	 <p>(B) Extruded</p>	 <p>(C) Point node at the intersection of 2 curves</p>
 <p>(D) Point at the centre of a circle</p>	 <p>(D) Point nodes at the end of a line (F) Point nodes at the line mid point</p>	 <p>(G) Point node at the intersection of 2 lines</p>

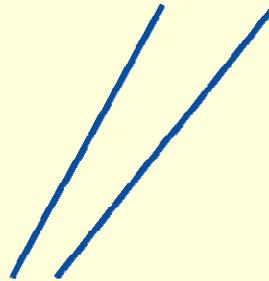
Line

- **A geometric primitive that has length and direction, but no thickness.**
- **It may be straight, curved or a combination of these.**
- **Lines also have important relationship or conditions, such as parallel, intersecting, and tangent.**
- **Lines – specific length and non-specific length.**
- **Ray – Straight line that extends to infinity from a specified point.**

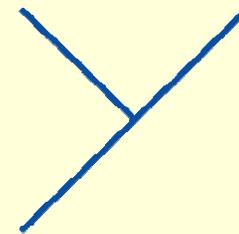
Relationship of one line to another line or arc



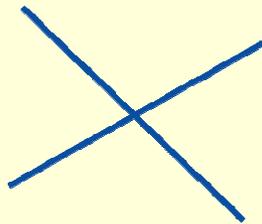
Parallel Line Condition



Nonparallel Line Condition



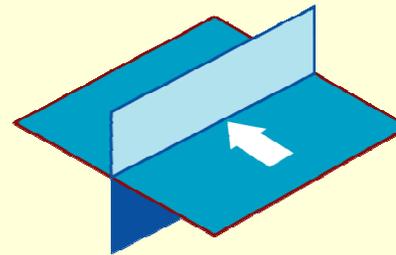
Perpendicular Line Condition



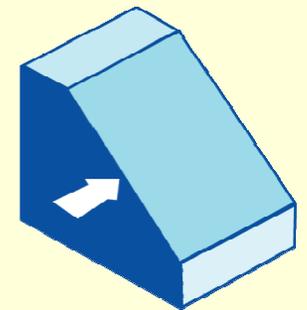
Intersecting Lines



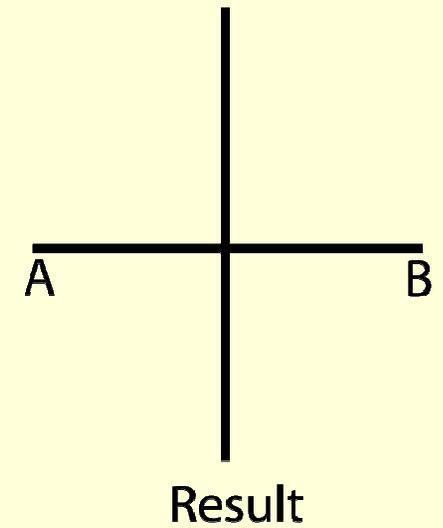
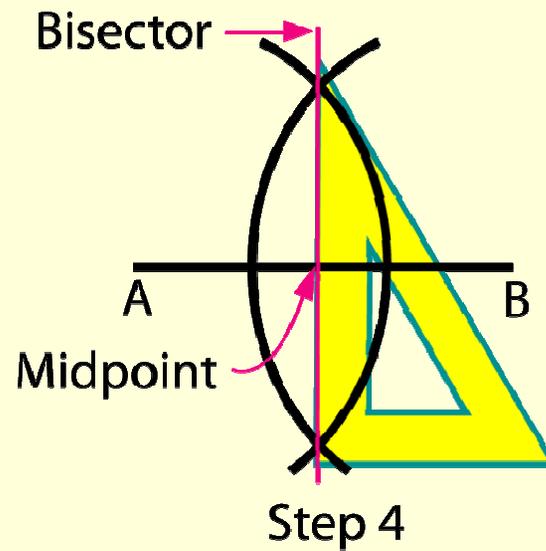
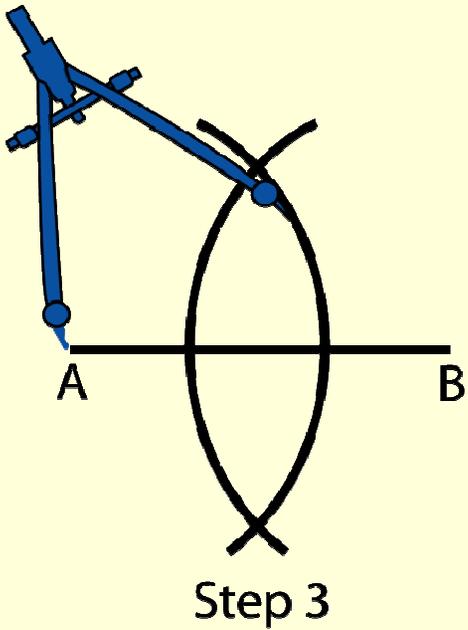
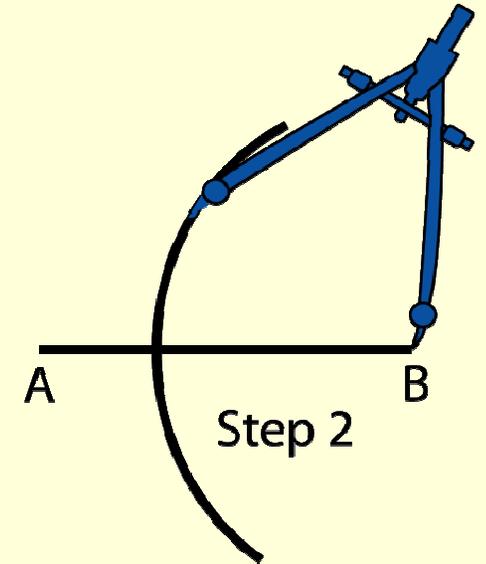
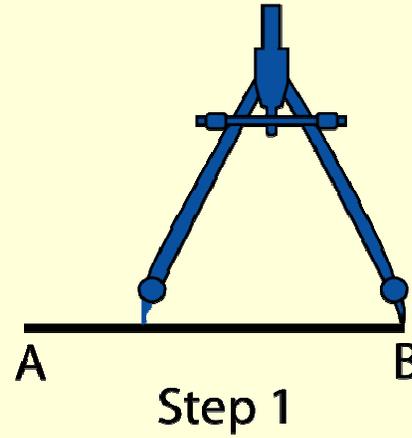
Tangent Condition



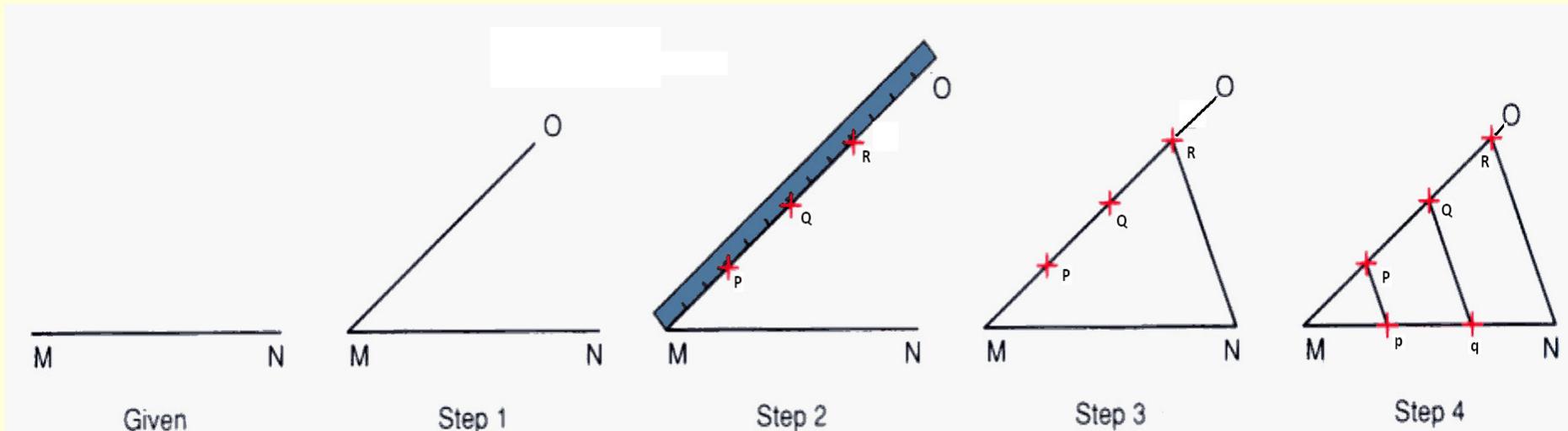
Line at the Intersection of Two Planes (Edge)



Bisecting a line



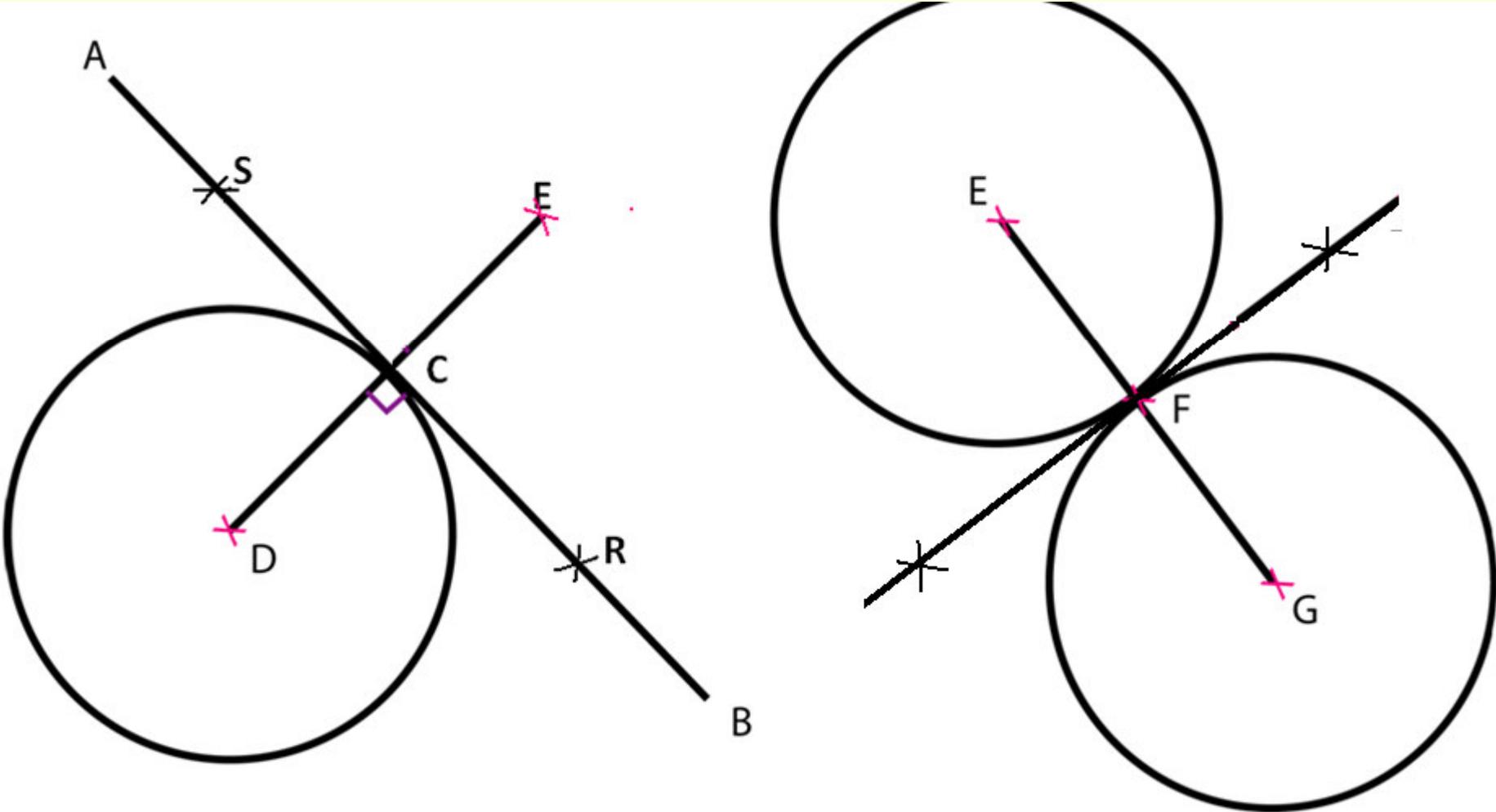
Dividing a line into equal parts



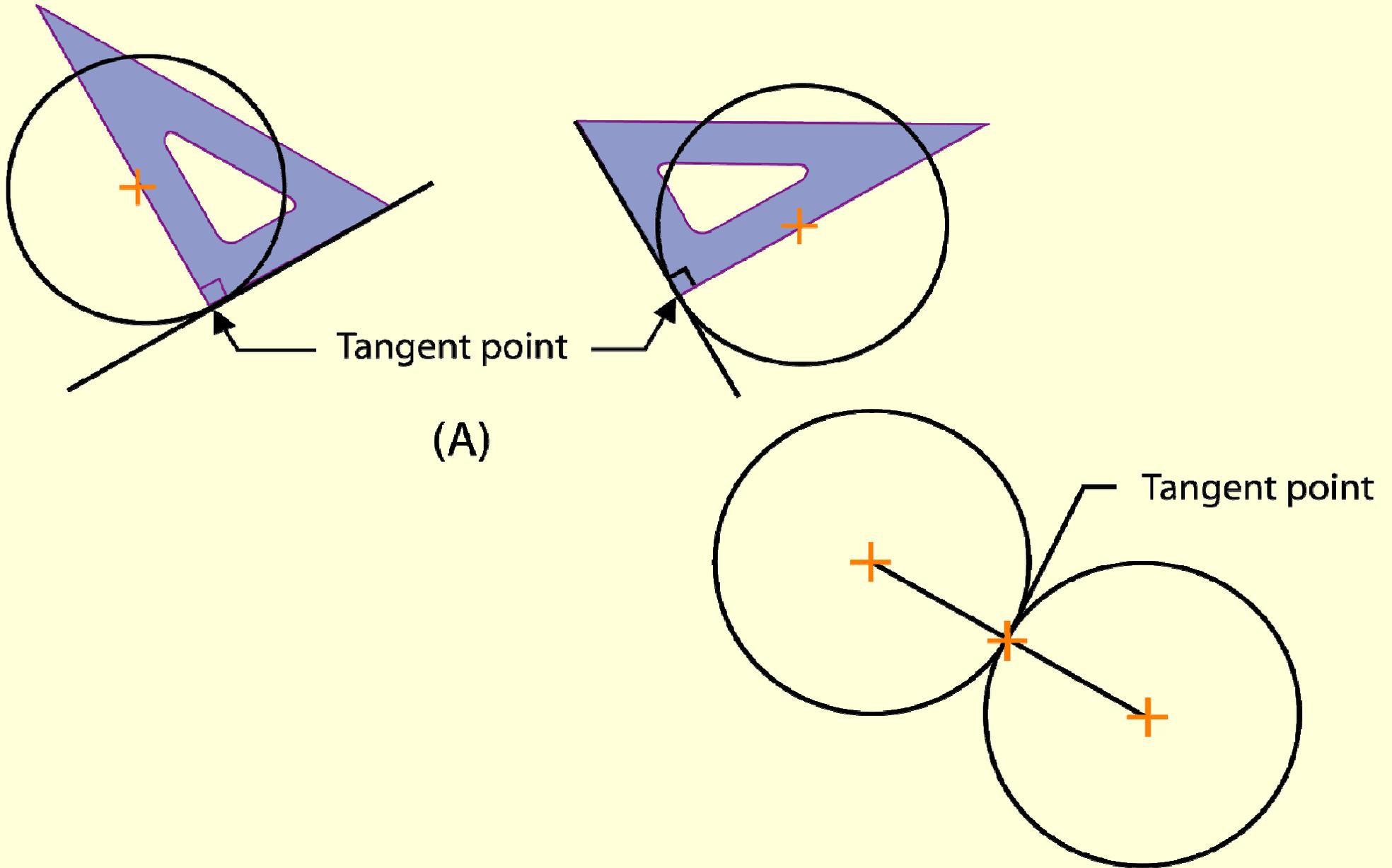
Steps:

- Draw a line MO at any convenient angle (preferably an acute angle) from point M.
- From M and along MO, cut off with a divider equal divisions (say three) of any convenient length.
- Draw a line joining RN.
- Draw lines parallel to RN through the remaining points on line MO. The intersection of these lines with line MN will divide the line into (three) equal parts.

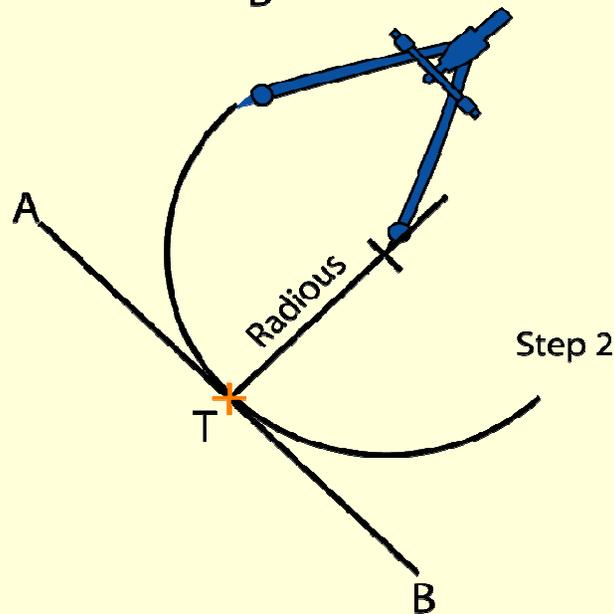
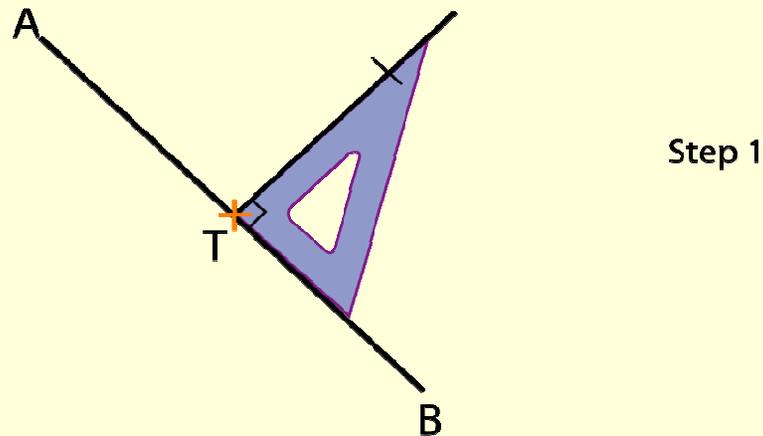
Planar tangent condition exists when two geometric forms meet at a single point and do not intersect.



Locating tangent points on circle and arcs



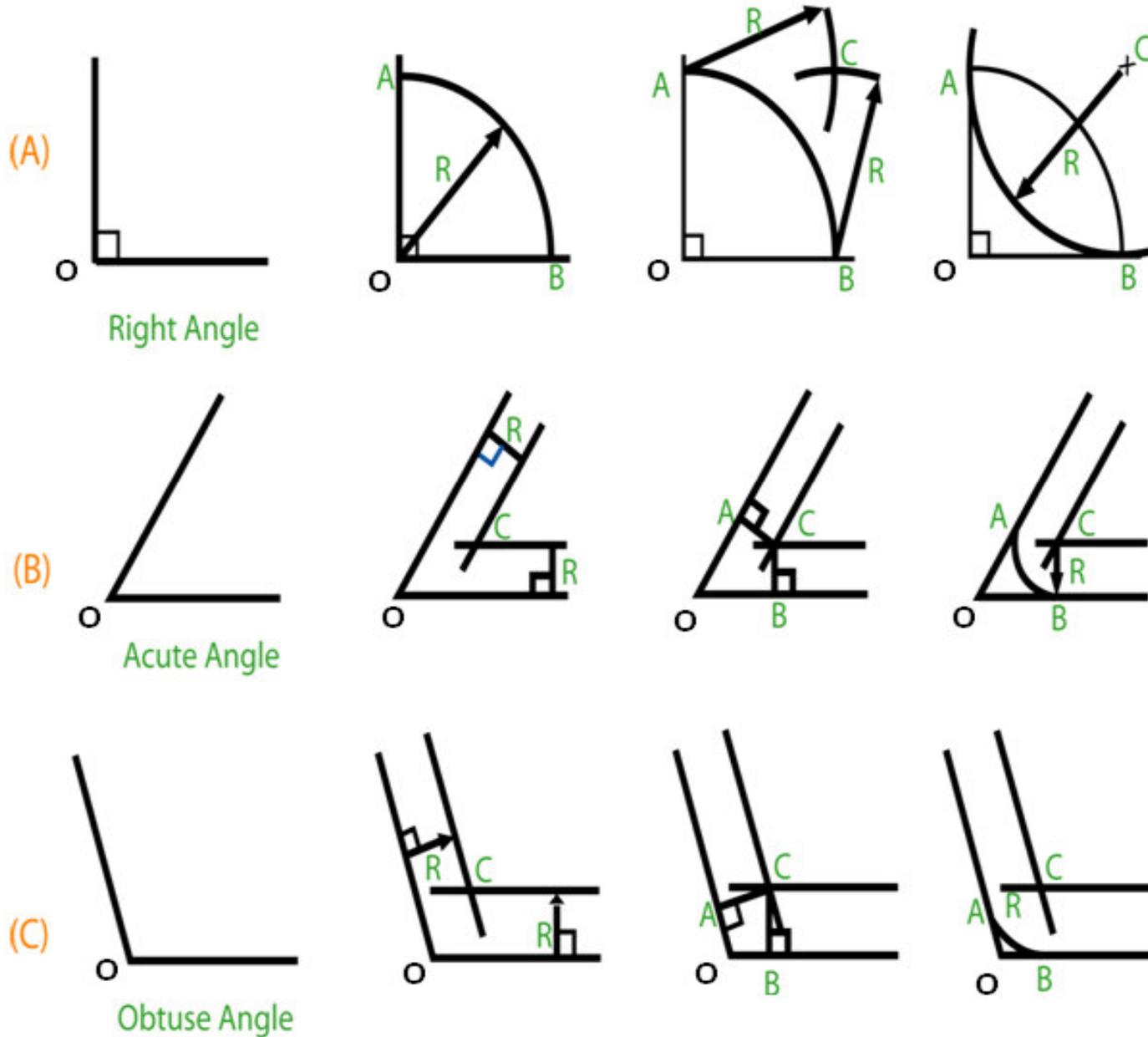
Drawing an arc tangent to a given point on the line



Steps

- Given line AB and tangent point T. Construct a line perpendicular to line AB and through point T.
- Locate the center of the arc by making the radius on the perpendicular line. Put the point of the compass at the center of the arc, set the compass for the radius of the arc, and draw the arc which will be tangent to the line through the point T.

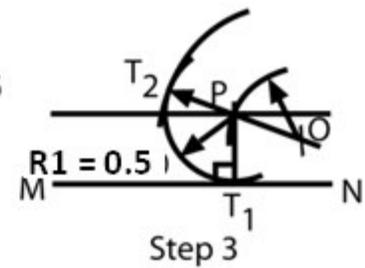
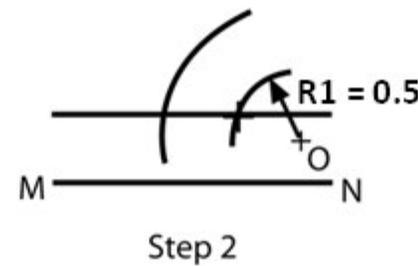
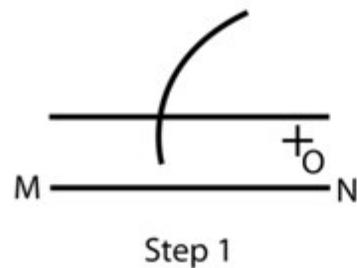
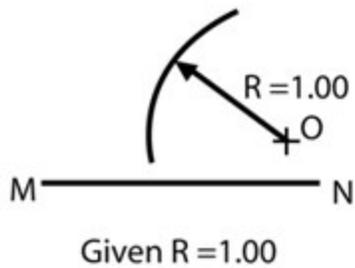
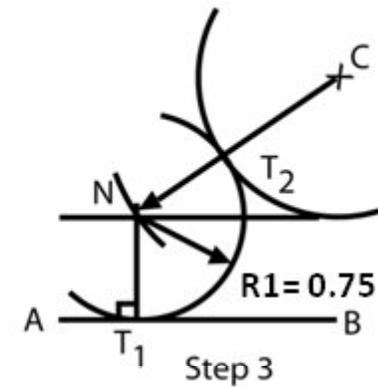
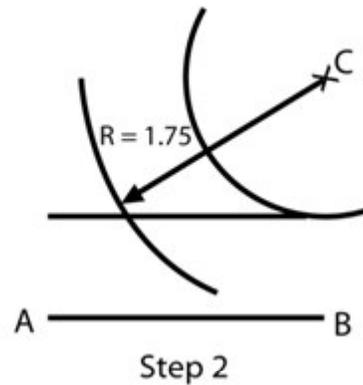
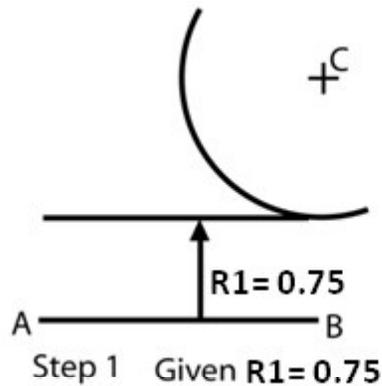
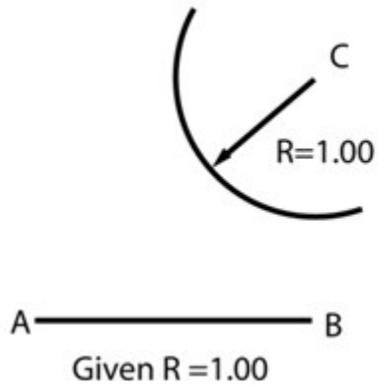
Drawing an arc, tangent to two lines



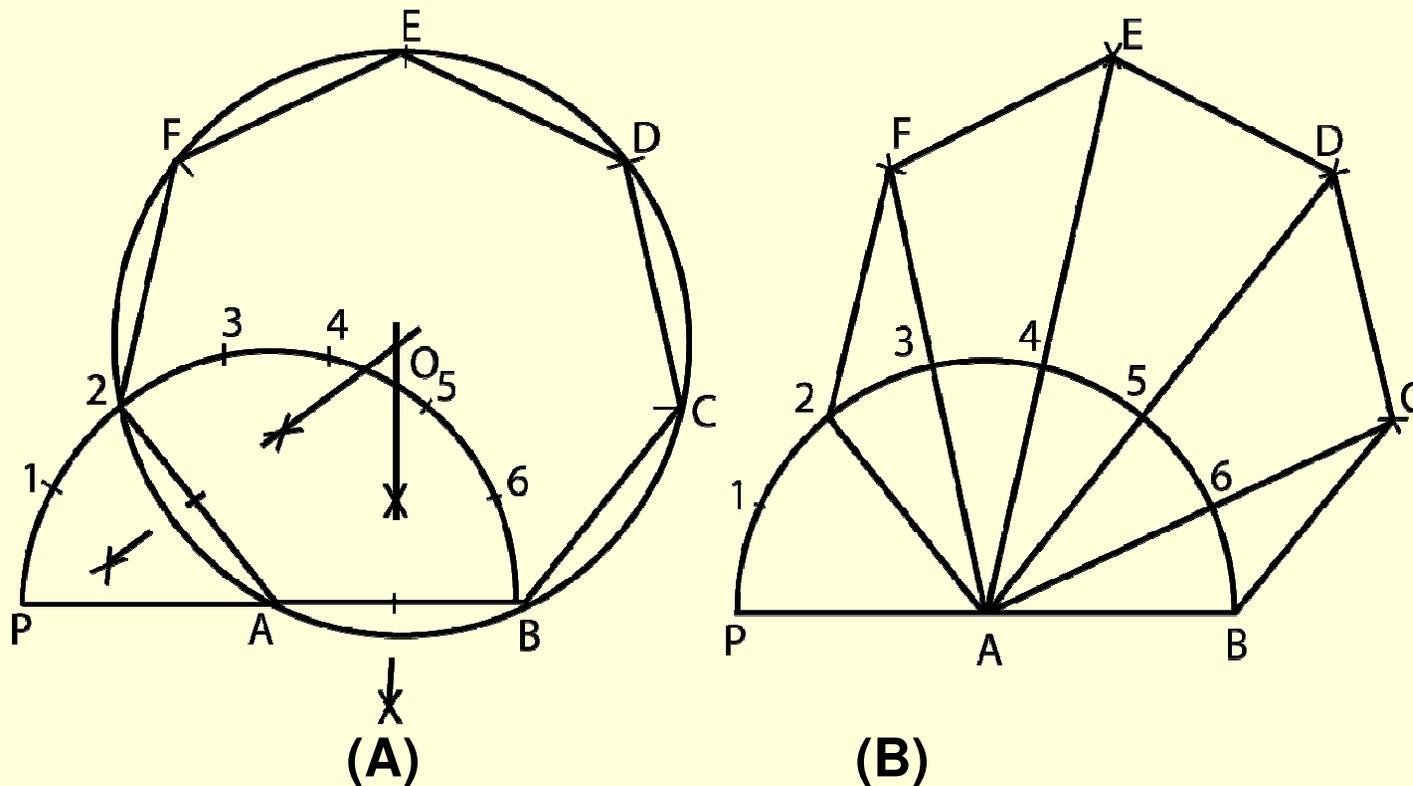
Drawing an arc, tangent to a line and an arc

(a) that do not intersect

(b) that intersect



Construction of Regular Polygon of given length AB



Draw a line of length AB. With A as centre and radius AB, draw a semicircle.

With the divider, divide the semicircle into the number of sides of the polygon.

Draw a line joining A with the second division-point 2.

General method of drawing any polygon

Draw AB = given length of polygon

At B , Draw BP perpendicular & = AB

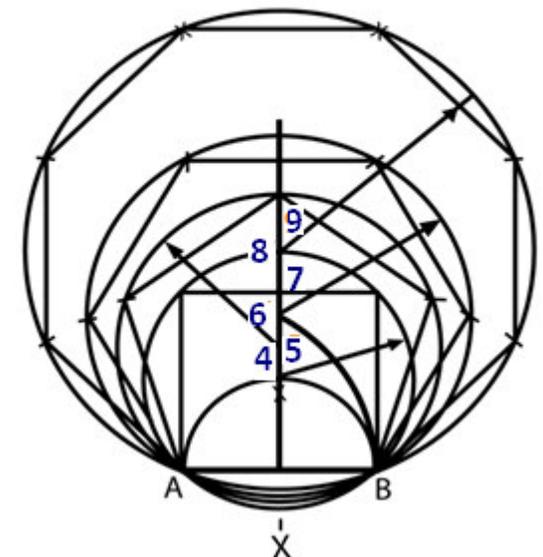
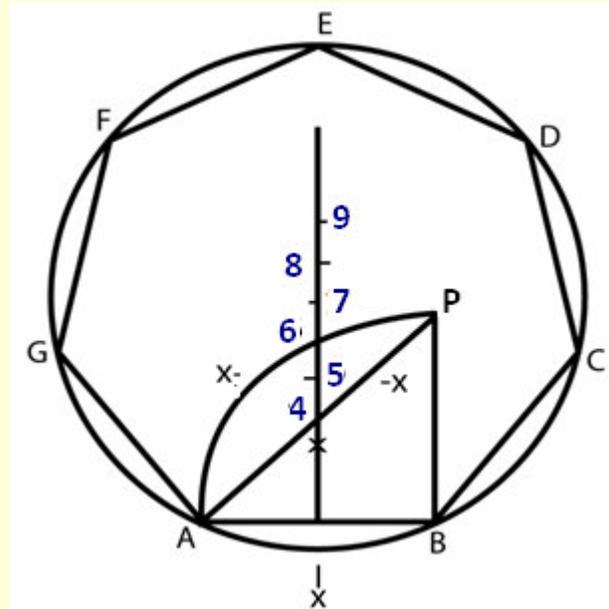
Draw Straight line AP

With center B and radius AB , draw arc AP .

The perpendicular bisector of AB meets st. line AP and arc AP in 4 and 6 respectively.

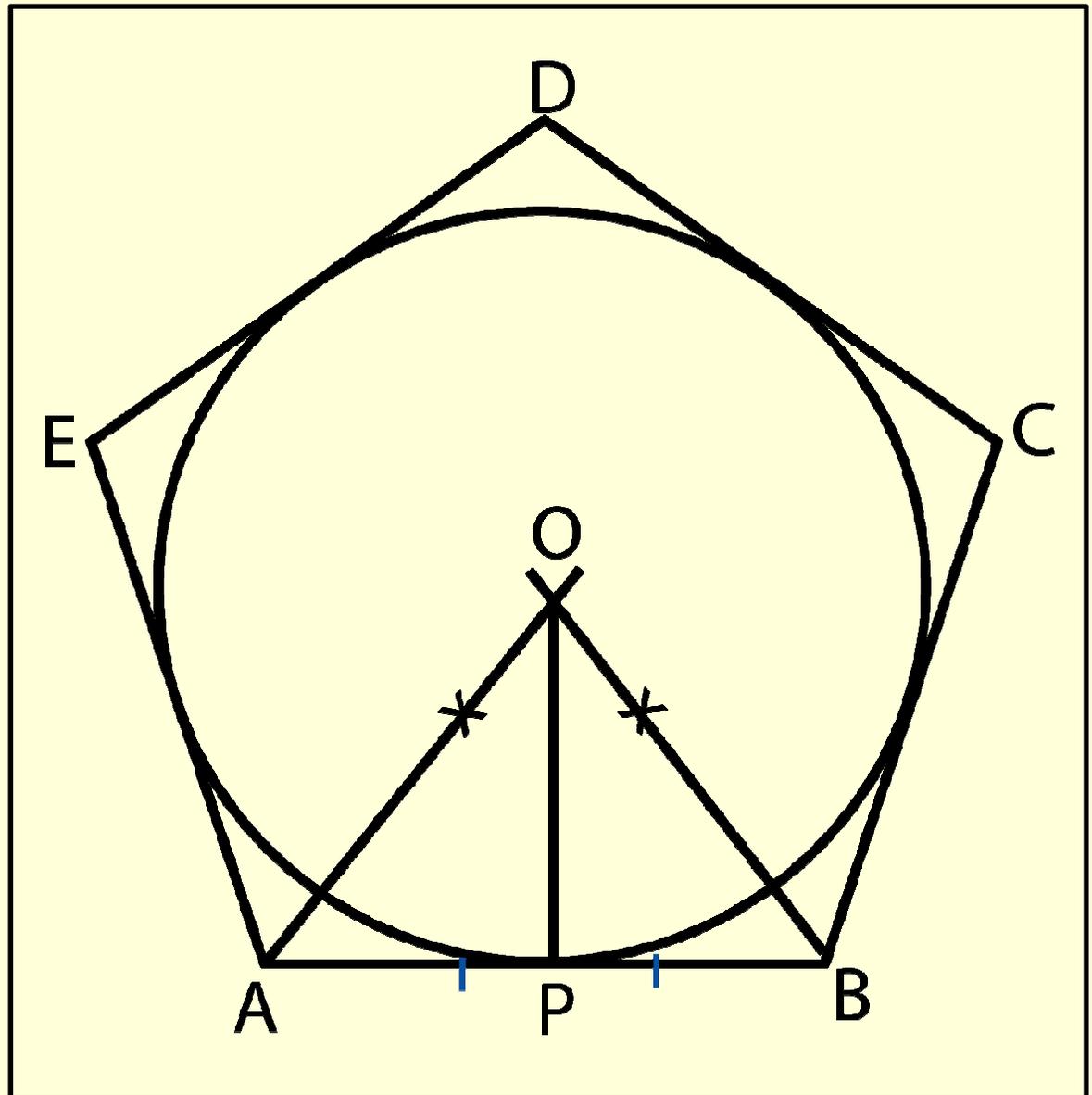
Draw circles with centers as 4, 5, & 6 and radii as $4B$, $5B$, & $6B$ and inscribe a square, pentagon, & hexagon in the respective circles.

Mark point 7, 8, etc with $6-7, 7-8, \text{etc.} = 4-5$ to get the centers of circles of heptagon and octagon, etc.



Inscribe a circle inside a regular polygon

- Bisect any two adjacent internal angles of the polygon.
- From the intersection of these lines, draw a perpendicular to any one side of the polygon (say OP).
- With OP as radius, draw the circle with O as center.



Inscribe a regular polygon of any number of sides (say $n = 5$), in a circle

Draw the circle with diameter
AB.

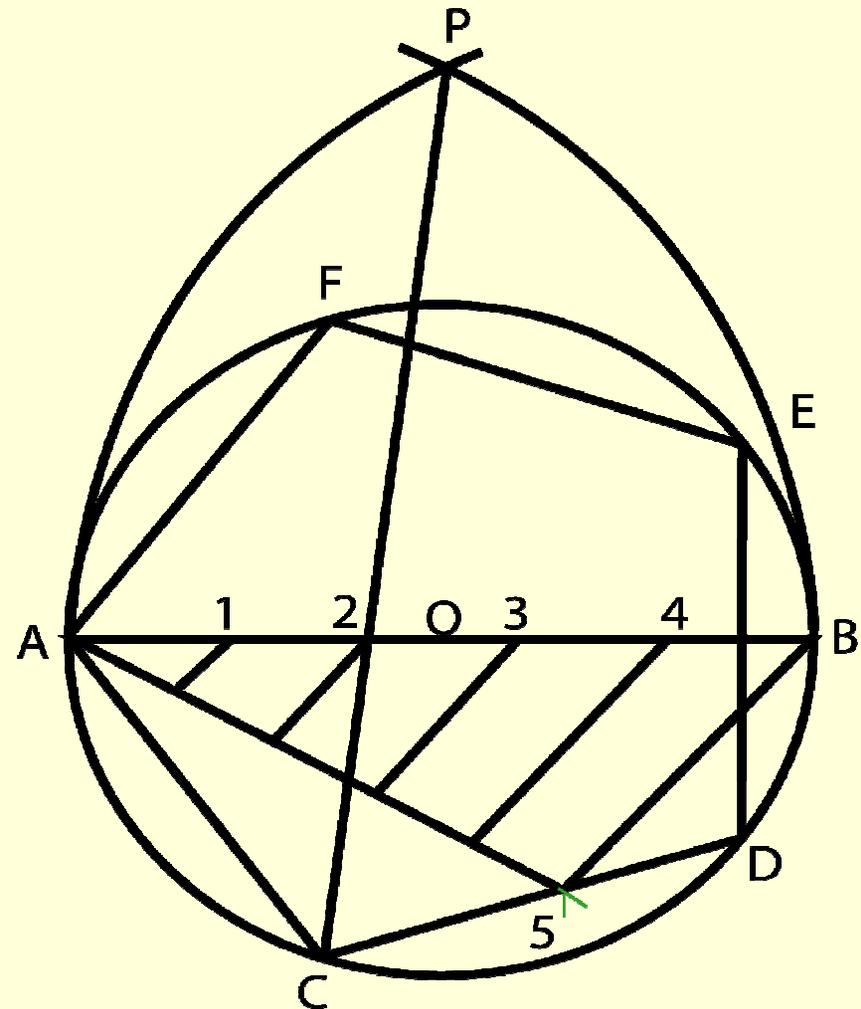
Divide AB in to “n” equal parts

Number them.

With center A & B and radius
AB, draw arcs to intersect at P.

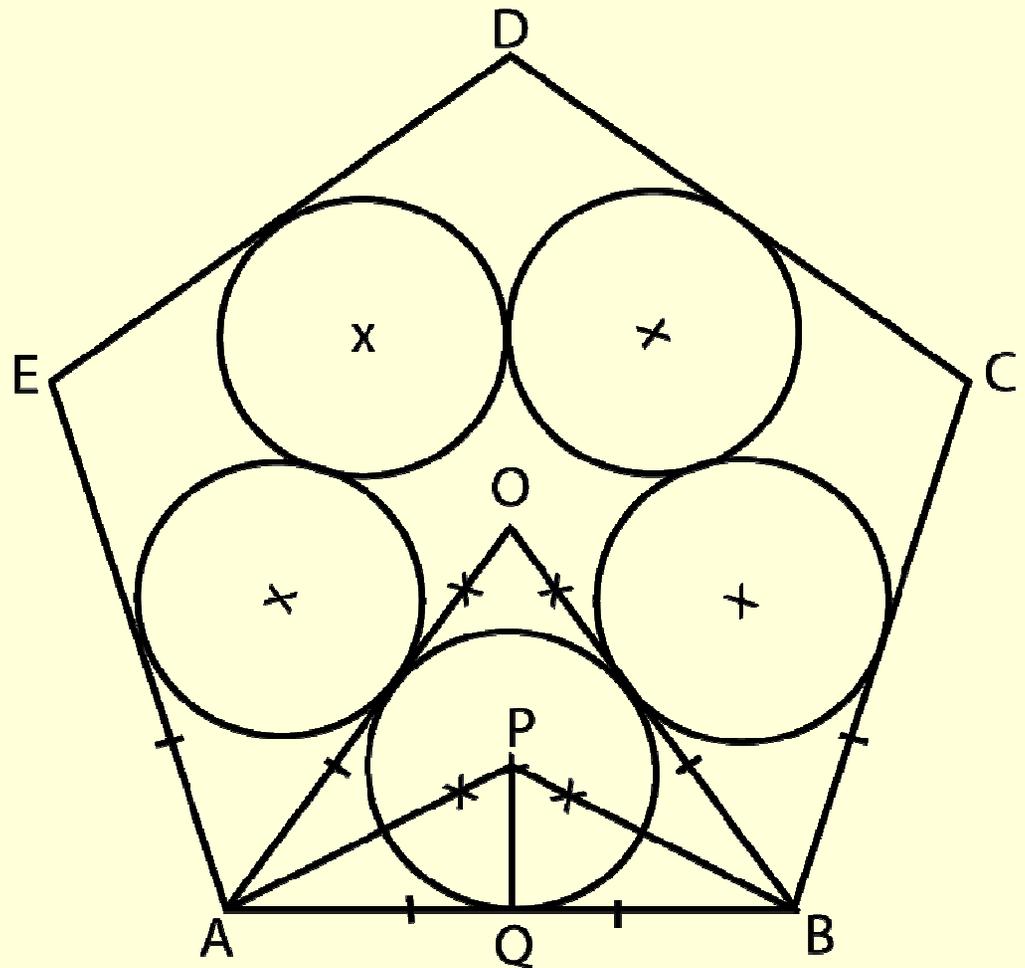
Draw line P2 and produce it to
meet the circle at C.

AC is the length of the side of
the polygon.



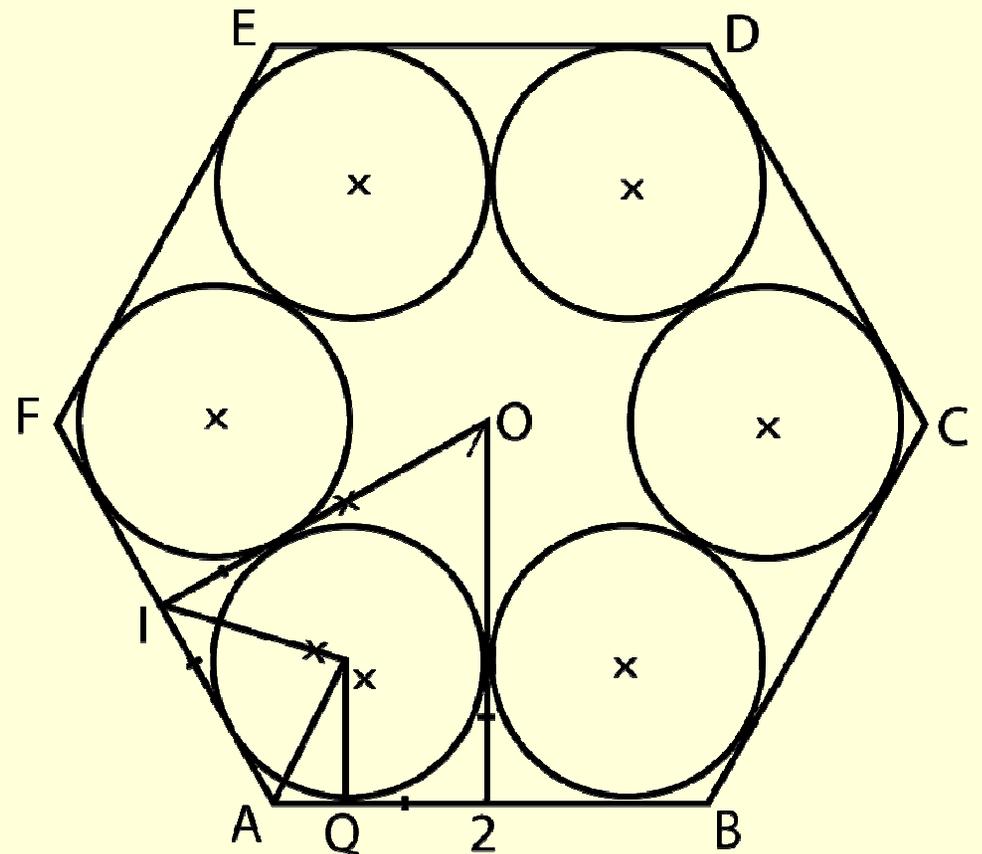
Inside a regular polygon, draw the same number of equal circles as the side of the polygon, each circle touching one side of the polygon and two of the other circles.

- Draw bisectors of all the angles of the polygon, meeting at O, thus dividing the polygon into the same number of triangles.
- In each triangle inscribe a circle.



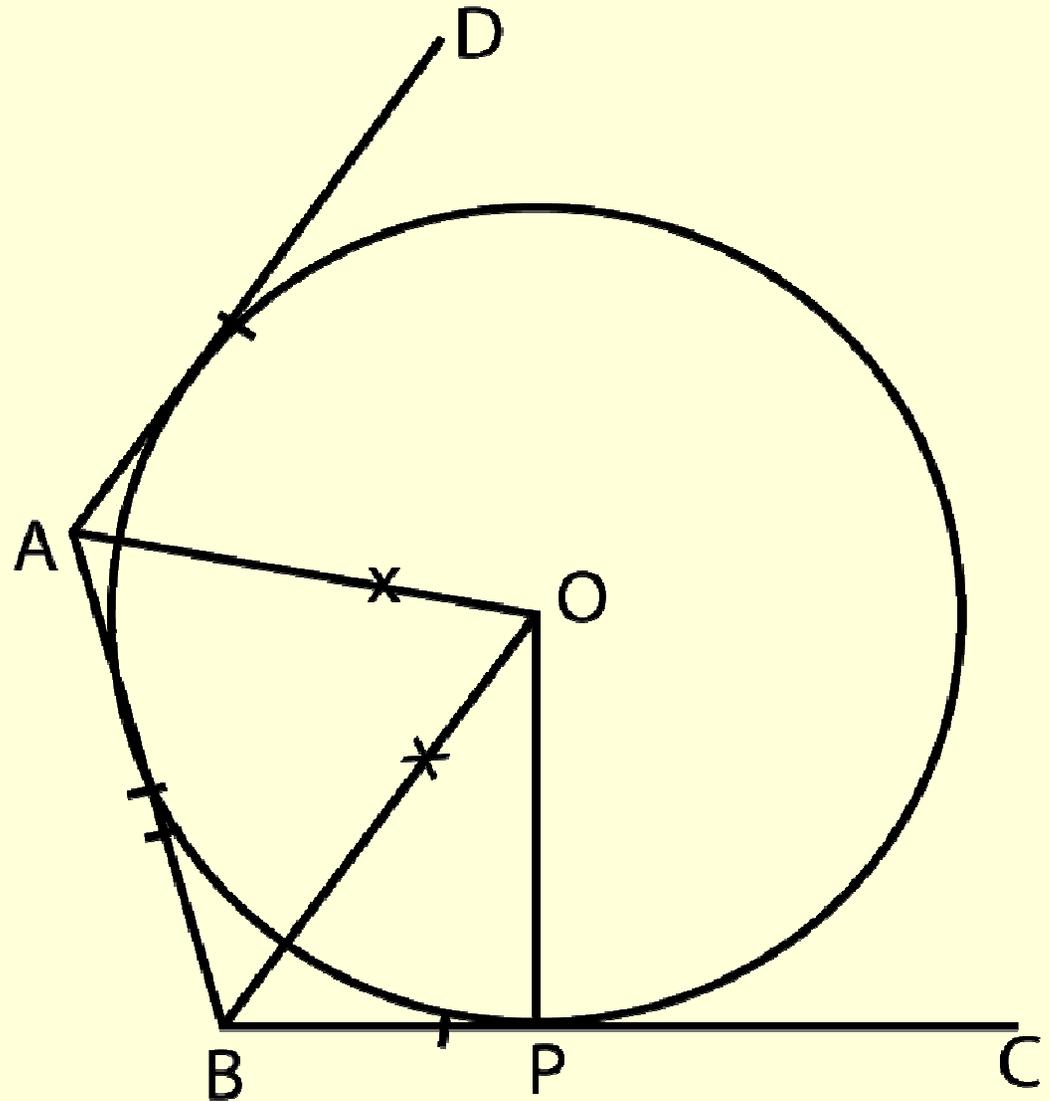
Inside a regular polygon, draw the same number of equal circles as the side of the polygon, each circle touching two adjacent sides of the polygon and two of the other circles.

- Draw the perpendicular bisectors of the sides of the polygon to obtain same number of quadrilaterals as the number of sides of the polygon.
- Inscribe a circle inside each quadrilateral.



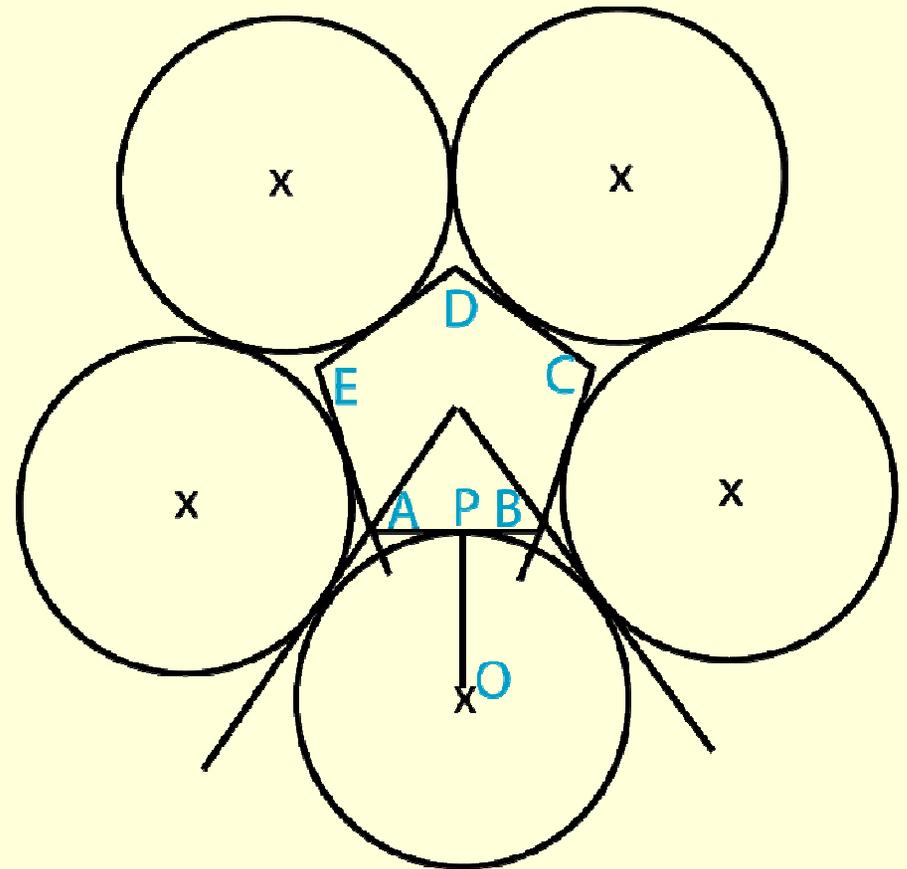
To draw a circle touching three lines inclined to each other but not forming a triangle.

- Let AB , BC , and AD be the lines.
- Draw bisectors of the two angles, intersecting at O .
- From O draw a perpendicular to any one line intersecting it at P .
- With O as center and OP as radius draw the desired circle.



Outside a regular polygon, draw the same number of equal circles as the side of the polygon, each circle touching one side of the polygon and two of the other circles.

- Draw bisectors of two adjacent angles and produce them outside the polygon.
- Draw a circle touching the extended bisectors and the side AB (in this case) and repeat the same for other sides.



Construction of an arc tangent of given radius to two given arcs

- Given - Arcs of radii M and N . Draw an arc of radius AB units which is tangent to both the given arcs. Centers of the given arcs are inside the required tangent arc.

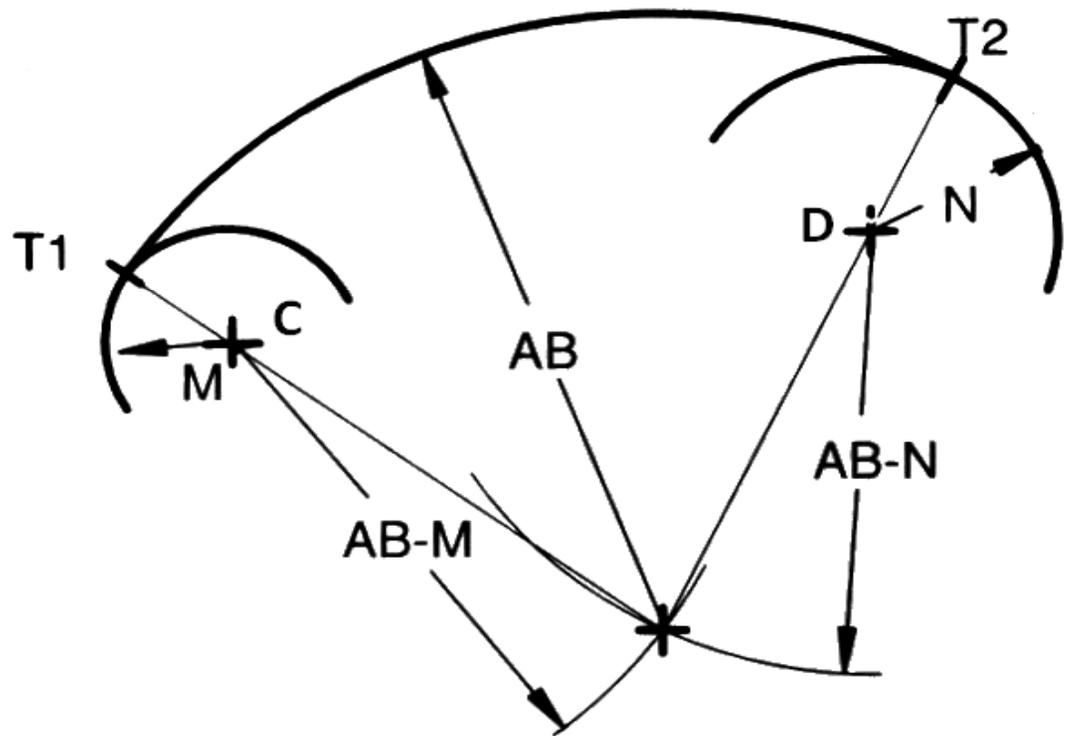
Steps:

From centers C and D of the given arcs, draw construction arcs of radii $(AB - M)$ and $(AB - N)$, respectively.

With the intersection point as the center, draw an arc of radius AB .

This arc will be tangent to the two given arcs.

Locate the tangent points $T1$ and $T2$.



Construction of line tangents to two circles (**Open belt**)

Given: Circles of radii R_1 and R with centers O and P , respectively.

Steps:

With P as center and a radius equal to $(R-R_1)$ draw an arc.

Locate the midpoint of OP as perpendicular bisector of OP as " M ".

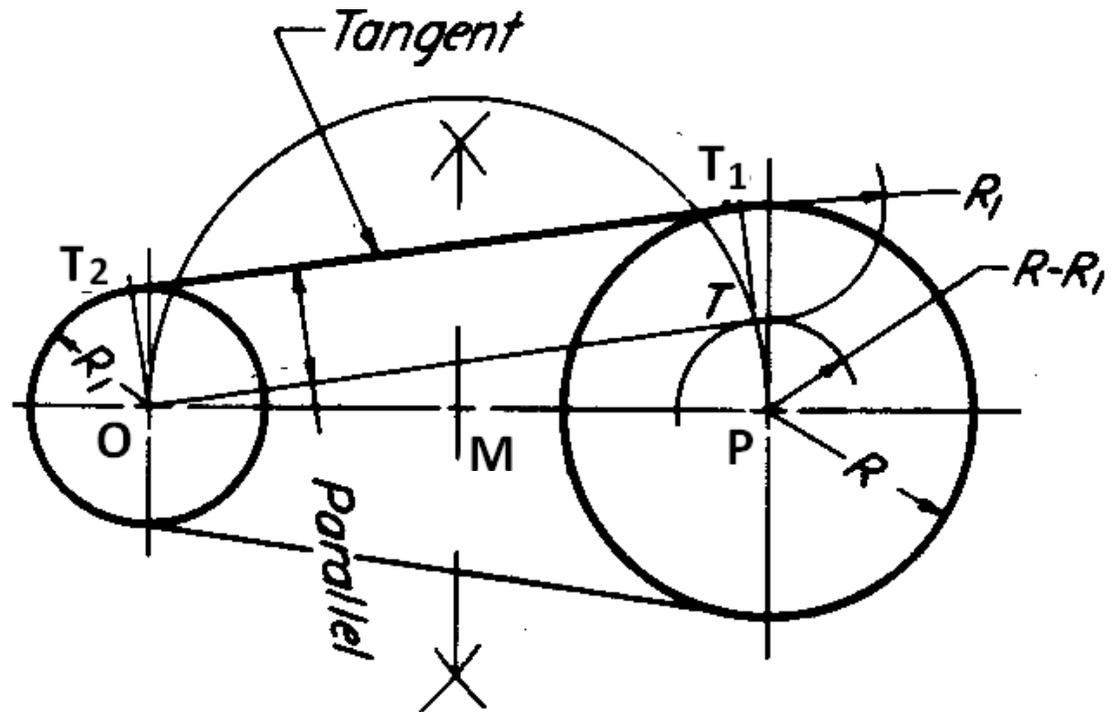
With M as centre and MO as radius draw a semicircle.

Locate the intersection point T between the semicircle and the circle with radius $(R-R_1)$.

draw a line PT and extend it to locate T_1 .

Draw OT_2 parallel to PT_1 .

The line T_1 to T_2 is the required tangent



Construction of line tangents to two circles (**crossed belt**)

Given: Two circles of radii R_1 and R with centers O and P , respectively.

Steps:

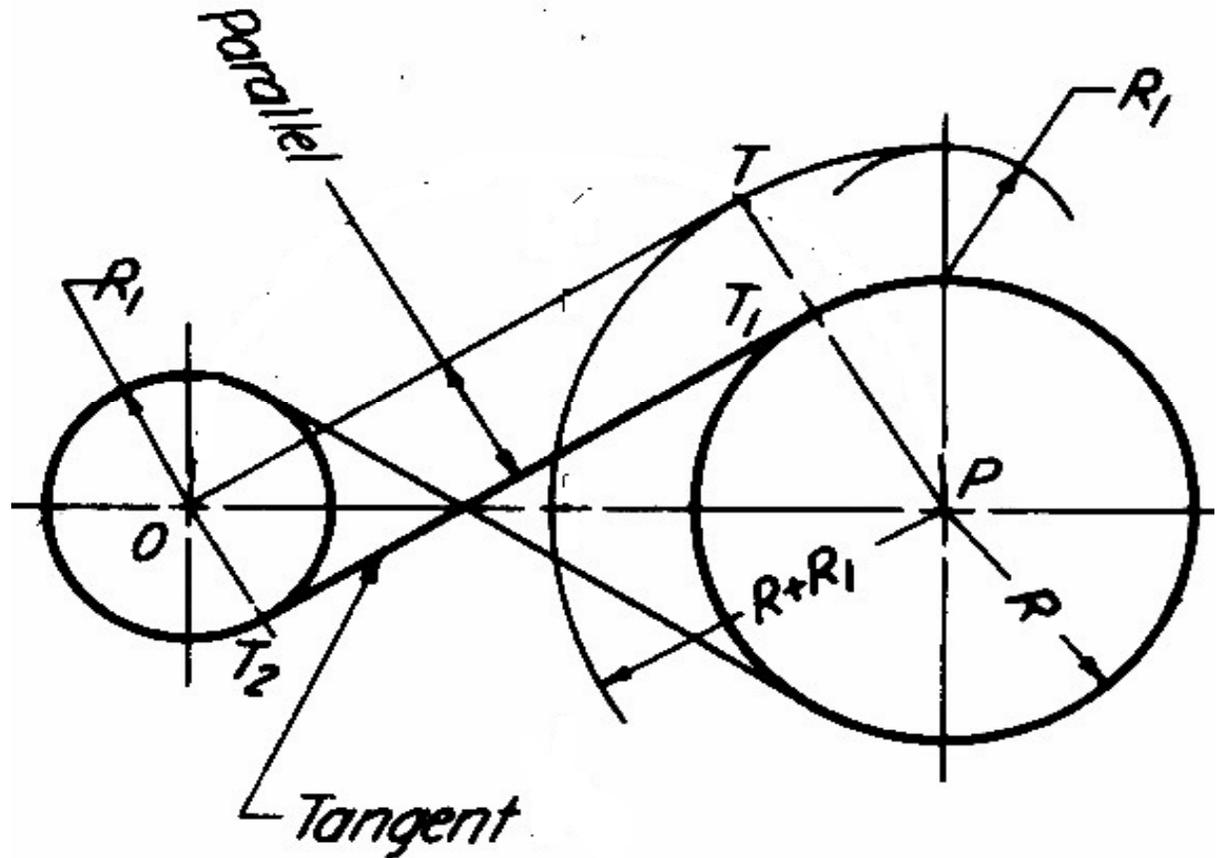
Using P as a center and a radius equal to $(R + R_1)$ draw an arc.

Through O draw a tangent to this arc.

Draw a line PT_1 cutting the circle at T_1

Through O draw a line OT_2 parallel to PT_1 .

The line T_1T_2 is the required tangent.



THANK YOU